# THE UNLIKELINESS OF BEING COVERED 

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We will show that the probability that a simple random walk will cover a finite, bounded degree graph in linear time is exponentially small.

More precisely, for every $D$ and $C$, there exists $\alpha=\alpha(D, C)>0$ such that for any graph $G$, with $n$ vertices and maximal degree $D$, the probability that a simple random walk, started anywhere in $G$, will visit every vertex of $G$ in its first $C n$ steps is at most $e^{-\alpha n}$.

Joint work with Itai Benjamini and Ben Morris.

